QB365 QUESTION BANK SOFTWARE

10th Maths CBSE Important Case Study Questions for Circles 2024

SECTION A

 $2 \ge 4 = 8$

1) Smita always finds it confusing with the concepts of tangent and secant of a circle. But this time she has determined herself to get concepts easier. So, she started listing down the differences between tangent and secant of a circle along with their relation. Here, some points in question form are listed by Smita in her notes. Try answering them to clear your concepts also.



(i) A line that intersects a circle exactly at two points is called

(a) (b) (c) (d) Both (a)

Secant Tangent Chord and (b)

(ii) Number of tangents that can be drawn on a circle is

(a) 1 (b) 0 (c) 2 (d) Infinite

(iii) Number of tangents that can be drawn to a circle from a point not on it, is

(a) 1 (b) 2 (c) 0 (d) Infinite

(iv) Number of secants that can be drawn to a circle from a point on it is

(a) Infinite (b) 1 (c) 2 (d) 0

(v) A line that touches a circle at only one point is called

(a) Secant (b) Chord (c) Tangent (d) Diameter

Answer: (i) (a)

- (ii) (d)
- (iii) (b)
- (iv) (a)
- (v) (c)

2) In a maths class, the teacher draws two circles that touch each other externally at point K with centres A and B and radii 5 em and 4 em respectively as shown in the figure.

Based on the above information, answer the following questions.

(i) The value of PA =
(a) 12 (b) 5 (c) 13 (d) Can't be
cm cm cm determined
(ii) The value of BQ =
(a) 4 (b) 5 (c) 6 (d) None of

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these
cm
         cm
                  cm
(iii) The value of PK =
(a) 13
           (b) 15
                       (c) 16
                                  (d) 18
cm
           cm
                       cm
                                  cm
(iv) The value of QY =
(a) 2 \text{ cm} (b) 5 \text{ cm} (c) 1 \text{ cm} (d) 3 \text{ cm}
(v) Which of the following is true?
(a) (b)

PS^2=PA.PK TQ^2=QB.QK (c) PS^2=PX.PK = QA.QB
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Answer: Here, AS = 5 cm, BT = 4 cm [∴Radii of circles]
(i) (c): Since, radius at point of contact is perpendicular to tangent.
∴ By Pythagoras theorem, we have

 $PA = \sqrt{PS^2 + AS^2} = \sqrt{12^2 + 5^2} = \sqrt{169} = 13 \text{ cm}$ (ii) (b): Again by Pythagoras theorem, we have $BQ = \sqrt{TQ^2 + BT^2} = \sqrt{3^2 + 4^2} = \sqrt{25} = 5 \text{ cm}$ (iii) (d): PK = PA + AK = 13 + 5 = 18 cm (iv) (c): QY = BQ - BY = 5 - 4 = 1 cm (v) (c): PS^2 = PA^2 - AS^2 = PA^2 - AK^2 = (PA + AK)(PA - AK) = PK.PX [:: AK = AX]